ът		
	am	••
Τđ	am	

_ Class: _____ Date: _____

ID: X

Geometry Unit 5 Practice Test

Multiple Choice

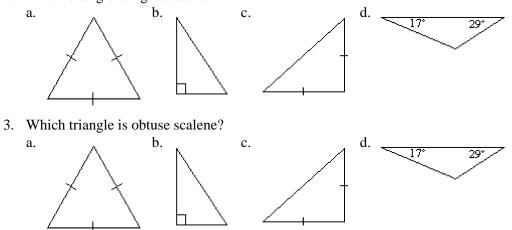
Identify the choice that best completes the statement or answers the question.

Identify the congruent triangles in the figure.

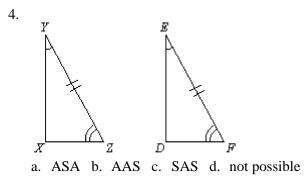
1. K FG 1

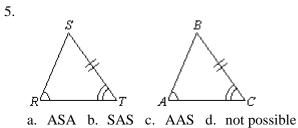
a. $\Delta FGH \cong \Delta KJI$ b. $\Delta HFG \cong \Delta KIJ$ c. $\Delta GFH \cong \Delta KIJ$ d. $\Delta GHF \cong \Delta KJI$

2. Which triangle is right scalene?

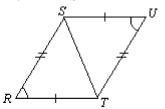


Choose the postulate or theorem that can be used to prove the pair of triangles congruent. If it is not possible to prove that they are congruent, choose not possible.





6. Determine whether the pair of triangles is congruent by SSS, SAS, ASA, or AAS. If it is not possible to prove that they are congruent, write *not possible*.

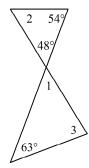


a. AAS b. SAS c. ASA d. not possible

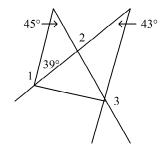
Short Answer

Find each measure.

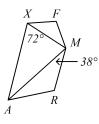
7. *m*∠1, *m*∠2, *m*∠3



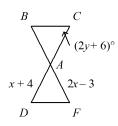
8. *m*∠1, *m*∠2, *m*∠3



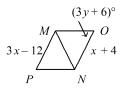
Refer to the figure. ΔARM , ΔMAX , and ΔXFM are all isosceles triangles.



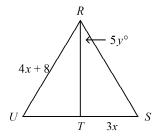
- 9. What is $m \angle MAX$?
- 10. What is $m \angle RAX$?
- 11. If $m \angle FXA = 96$, what is $m \angle FMR$?
- 12. What is $m \angle ARM$?
- 13. If $m \angle FMR = 155$, what is $m \angle FMX$?
- 14. If $m \angle FMX = 23$ what is $m \angle FXA$?
- 15. Triangles ABC and AFD are vertical congruent equilateral triangles. Find x and y.



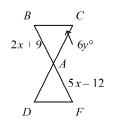
16. Triangles *MNP* and *OMN* are congruent equilateral triangles. Find x and y.



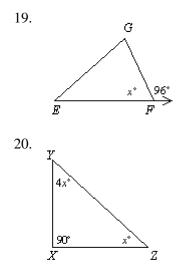
17. Triangle *RSU* is an equilateral triangle. \overline{RT} bisects \overline{US} . Find x and y.



18. Triangles *ABC* and *AFD* are vertical congruent equilateral triangles. Find *x* and *y*.

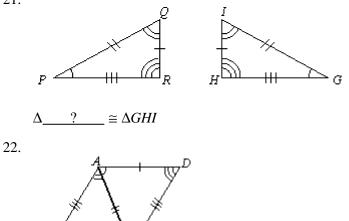


Find the value of the variable.



Complete the congruence statement.

21.

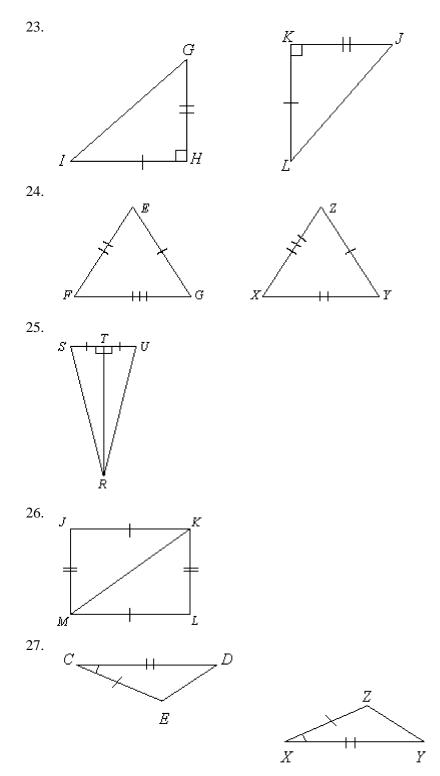


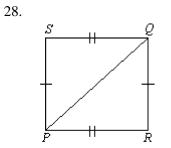
$$\Delta BCA \cong \Delta ___?$$

 \mathcal{C}

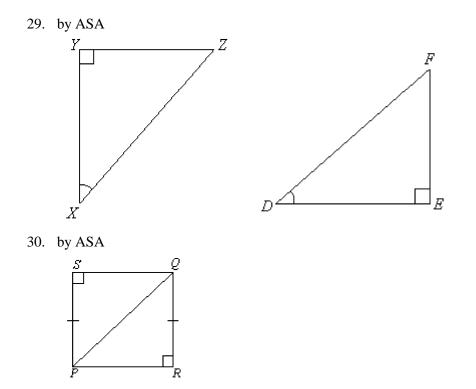
 B^{L}

Determine whether the pair of triangles is congruent. If so, write a congruence statement and explain why the triangles are congruent. If not explain why the triangles are not congruent.



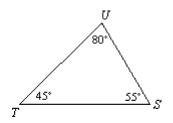


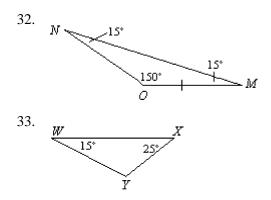
Name the additional congruent parts needed so that the triangles are congruent.



Classify the triangle by its angles and by its sides.

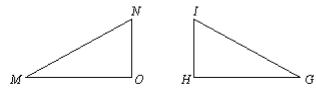




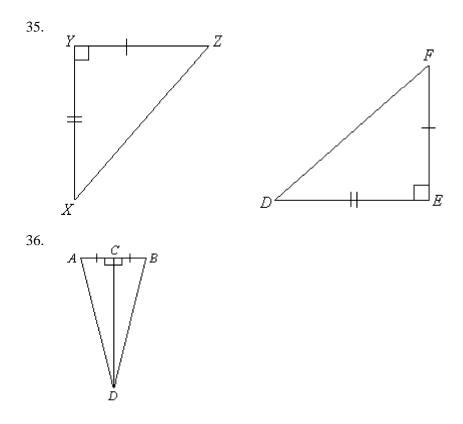


Name the congruent angles and sides. Then mark the triangles using arcs and slash marks to show the congruent angles and sides.

34. $\Delta HIG \cong \Delta ONM$



Determine whether the pair of triangles is congruent. If so, write a congruence statement and explain why the triangles are congruent. If not explain why the triangles are not congruent.



Geometry Unit 5 Practice Test Answer Section

MULTIPLE CHOICE

1.	ANS: B	DIF:	Average	REF:	Lesson 4-3
2.	ANS: B	DIF:	Basic		
3.	ANS: D	DIF:	Basic		
4.	ANS: A	DIF:	Average		
5.	ANS: C	DIF:	Average		
6.	ANS: B	DIF:	Average		

SHORT ANSWER

7.	ANS: $m \angle 1 = 48, m \angle 2 = 78, m \angle 3 = 69$						
8.	DIF: ANS:	Basic	REF:	Lesson 4-2			
		= 141, $m \angle 2 = 84$	4, <i>m∠</i> 3	= 139			
9.	DIF: ANS: 36	Average	REF:	Lesson 4-2			
10.	DIF: ANS: 74	Average	REF:	Lesson 4-6			
11.	DIF: ANS: 134	Average	REF:	Lesson 4-6			
12.	DIF: ANS: 104	Average	REF:	Lesson 4-6			
13.	DIF: ANS: 45	Average	REF:	Lesson 4-6			
14.	DIF: ANS: 95	Average	REF:	Lesson 4-6			
	DIF:	Average	REF:	Lesson 4-6			

15. ANS: x = 7, y = 27DIF: Average REF: Lesson 4-6 16. ANS: x = 8, y = 18DIF: Average REF: Lesson 4-6 17. ANS: x = 4, y = 6REF: Lesson 4-6 DIF: Average 18. ANS: x = 7, y = 10DIF: Average REF: Lesson 4-6 19. ANS: 84 DIF: Average 20. ANS: 18 DIF: Average 21. ANS: PRQDIF: Average 22. ANS: DAC DIF: Average 23. ANS: $\Delta GHI \cong \Delta JKL$; SAS DIF: Average 24. ANS: $\Delta FGE \cong \Delta XZY$; SSS DIF: Average 25. ANS: $\Delta STR \cong \Delta UTR$; SAS DIF: Average 26. ANS: $\Delta KLM \cong \Delta MJK$; SSS DIF: Average

27. ANS:

 $\Delta ECD \cong \Delta ZXY$; SAS

DIF: Average

28. ANS:

 $\Delta SPQ \cong \Delta RQP$; SSS

If three sides of one triangle are congruent to three corresponding sides of another triangle, then the triangles are congruent by SSS.

If two sides and the included angle of one triangle are congruent to the corresponding sides and included angle of another triangle, then the triangles are congruent by SAS.

DIF: Average

29. ANS:

 $\overline{YX} \cong \overline{DE}$

If two angles and the included side of one triangle are congruent to the corresponding angles and included side of another triangle, then the triangles are congruent by ASA.

DIF: Average

30. ANS:

 $\angle SPQ \cong \angle RQP$

If two angles and the included side of one triangle are congruent to the corresponding angles and included side of another triangle, then the triangles are congruent by ASA.

DIF: Average

31. ANS:

acute, scalene Triangles classified by angles: acute - all acute angles obtuse - one obtuse angle right - one right angle

Triangles classified by sides: scalene - no sides congruent isosceles - at least two sides congruent equilateral - all sides congruent

DIF: Basic

32. ANS:

obtuse, isosceles Triangles classified by angles: acute - all acute angles obtuse - one obtuse angle right - one right angle

Triangles classified by sides: scalene - no sides congruent isosceles - at least two sides congruent equilateral - all sides congruent

DIF: Basic

33. ANS:

obtuse, scalene Triangles classified by angles: acute - all acute angles obtuse - one obtuse angle right - one right angle

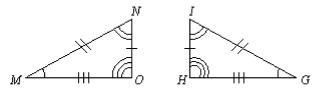
Triangles classified by sides: scalene - no sides congruent isosceles - at least two sides congruent equilateral - all sides congruent

DIF: Basic

34. ANS:

$$\frac{\angle M}{MN} \cong \frac{\angle G}{GI}, \quad \frac{\angle N}{NO} \cong \frac{\angle I}{H}, \quad \frac{\angle O}{MO} \cong \frac{\angle H}{GH},$$

Possible drawing;



Write a congruence statement by matching the vertices of the congruent triangles. Use this information to mark the congruent parts with arcs and slashes.

DIF: Average

35. ANS:

SAS

If three sides of a triangle are congruent to three corresponding sides of another triangle, then the triangles are congruent by SSS.

If two sides and the include angle of one triangle are congruent to the corresponding sides and included angle of another triangle, then the triangles are congruent by SAS.

If two angles and the included side of one triangle are congruent to the corresponding angles and included side of another triangle, then the triangles are congruent by ASA.

If two angles and a nonincluded side of one triangle are congruent to the corresponding two angles and nonincluded side of another triangle, then the triangles are congruent by AAS.

DIF: Average

36. ANS:

SAS

If three sides of a triangle are congruent to three corresponding sides of another triangle, then the triangles are congruent by SSS.

If two sides and the include angle of one triangle are congruent to the corresponding sides and included angle of another triangle, then the triangles are congruent by SAS.

If two angles and the included side of one triangle are congruent to the corresponding angles and included side of another triangle, then the triangles are congruent by ASA.

If two angles and a nonincluded side of one triangle are congruent to the corresponding two angles and nonincluded side of another triangle, then the triangles are congruent by AAS.

DIF: Average